

962-05-1226

Erin M. Flickinger* (applerin@hotmail.com), USC P.O. Box 81054, Columbia, SC 29225-0112, and **Daniel J. Schaal** (DANIEL_SCHAAL@SDSTATE.EDU), Dept. of Mathematics and Statistics, South Dakota State University, Brookings, SD 57007. *Rado Numbers for*
 $c(x_1 + x_2 + \dots + x_m - 1) = xm$. Preliminary report.

For every positive integer c , and every integer $m \geq 3$, Let $L(c, m)$ represent the following equation. $L(c, m) : c(x_1 + x_2 + \dots + x_m - 1) = xm$. For every positive integer c , and every integer $m \geq 3$, let $r = R(c, m)$ be the least integer such that for every coloring $f : 1, 2, \dots, r \rightarrow 0, 1$, there exists solution, (x_1, x_2, \dots, x_m) , to $L(c, m)$ such that $f(x_1) = f(x_2) = \dots = f(x_m)$. In this paper, we determine that $R(c, m) = c[(m - 1)^2 c^2 + (m - 2)]$ for every positive integer c , and every integer $m \geq 3$. (Received October 02, 2000)