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**Nathaniel Dean\*** ([nated@caam.rice.edu](mailto:nated@caam.rice.edu)), Dept. of Computational and Applied Math., Rice University, MS-134, 6100 Main Street, Houston, TX 77005. *Convex Drawing of Nonplanar Graphs.*

Let  $D$  be a drawing of a graph  $G$  in the plane where any pair of edges may cross any number of times. Define an *even edge* of  $D$  to be an edge that is crossed an even number of times in  $D$ . We generalize at least two of Tutte's theorems by proving the following result: *if the even edges induce a 3-connected graph  $H$  and some planar embedding of  $H$  has at least one empty face, then  $G$  has a rectilinear drawing where the drawing inherited by  $H$  is a convex embedding and no edge of  $H$  is crossed.* This leads to other results on drawing nonplanar graphs in the plane. (Received October 03, 2000)