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We'll describe a Dirichlet series in  $m + 1$  complex variables and show how a simple conjecture about its analytic properties implies a precise asymptotic description for the mean value of  $L(1/2, \chi_d)^m$ , as  $d$  varies over fundamental discriminants of quadratic fields. For  $m = 1, 2, 3$  the asymptotics can actually be proved by these methods, as illustrated in previous work of Bump, Friedberg and Hoffstein. For  $m \geq 4$  the conjectured formulas seem to agree with conjectures on these moments arrived at by Keating and Snaith using techniques from random matrix theory. (Received October 01, 2000)