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Jeffrey C. Lagarias* (jcl@research.att.com), Room C235, AT&T Labs, 180 Park Avenue,
Building 103, Florham Park, NJ 07932-0971. *On the Normality of Arithmetical Constants.*

David Bailey and Richard E. Crandall recently formulated a “Hypothesis A” as a general principle to explain the (conjectured) normality of the binary expansion of arithmetical constants like π and $\log 2$. These constants arise from special values of zeta functions and other functions of polylogarithmic type. We discuss the basic mechanism behind their hypothesis as a relation between single orbits of two dynamical systems. We observe a relation between the class of arithmetical constants they consider and special values of G-functions, and also note an analogy of ”Hypothesis A” with Furstenberg’s conjecture on measures on $[0,1]$ invariant and ergodic under the joint action of $ax \pmod{1}$ and $bx \pmod{1}$ for multiplicatively independent integers a and b . (Received September 24, 2000)