

962-20-916

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University of Louisiana at Lafayette, Lafayette, LA 70504. *Distributive Elements in Endomorphism  
Near-rings and Rings.*

Let  $G$  be a group. Let  $\mathcal{E}(G) = \{\sum_{i=1}^n \pm \alpha_i : \alpha_i \in \text{End}(G), n \text{ finite}\}$ . This is the endomorphism near-ring of  $G$ , which is simply  $\text{End}(G)$ , the endomorphism ring of  $G$ , when  $G$  is abelian. Let  ${}_d\mathcal{E}(G)$  denote the distributive elements of  $\mathcal{E}(G)$ ; then the containments  $\text{End}(G) \subseteq {}_d\mathcal{E}(G) \subseteq \mathcal{E}(G)$  always hold. Four combinations arise when we consider if these inclusions are proper or non-proper. We show this partitions the class of all groups into four nonempty classes. Many examples will be given. (Received October 03, 2000)