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A bounded operator between Banach spaces is said to be *nice* if its conjugate maps extreme points of the dual ball to extreme points. Isometries are nice operators but the converse is not true in general. The classical Banach-Stone Theorem states that any isometry from  $C_0(Q)$  onto  $C_0(K)$ , where  $Q, K$  are locally compact Hausdorff spaces, is a weighted composition operator. This theorem has been extended to the vector-valued case by many authors. Here we show that any nice isomorphism from a Banach function module  $(Q, (X(s)), X)$  onto a Banach function module  $(K, (Y(t)), Y)$  is a weighted composition operator with operator weights if the centralizer of each  $Y(t)$  is trivial. This result is applied to the case of nice operators from  $C_0(Q, X)$  onto  $C_0(K, Y)$  where  $X$  and  $Y$  are Banach spaces and the centralizer of  $Y$  is trivial. (Received September 27, 2000)