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**Qingying Bu\*** (qbu@mcs.kent.edu), Department of Mathematics, Kent State University, Kent, OH 44242, and **Joseph Diestel**, Department of Mathematics, Kent State University, Kent, OH 44242. *The Littlewood-Orlicz Operator Ideal.*

Let  $X$  and  $Y$  be Banach spaces. A Banach space operator  $u : X \rightarrow Y$  is called a Littlewood-Orlicz (LO) operator if  $(I \otimes u)(\ell_1 \overset{\vee}{\otimes} X) \subseteq \ell_2 \overset{\wedge}{\otimes} Y$ , where  $I : \ell_1 \rightarrow \ell_2$  is the inclusion map. Let  $LO(X, Y)$  denote the space of all LO operators from  $X$  to  $Y$ , and let  $\|u\|_{LO}$  denote the Littlewood-Orlicz norm  $\|I \otimes u\|_{\ell_1 \overset{\vee}{\otimes} X \rightarrow \ell_2 \overset{\wedge}{\otimes} Y}$ . Then we have the following main results. 1.  $LO(\cdot, \cdot)$  is an operator ideal. 2. Each 1-factorable operator on Banach spaces is LO. 3. Hilbert-Schmidt operators on Hilbert spaces coincide with LO operators. 4. Let  $K$  be a Hausdorff compact metric space. Then each LO operator from  $C(K)$  to a Banach space is weakly compact. 5. Each LO operator from a Banach space to a Hilbert space is absolutely 2-summing. (Received September 26, 2000)