Meeting: 1003, Atlanta, Georgia, AMS CP 1, AMS Contributed Paper Session

1003-11-869 Judith Canner* (jc3429@ship.edu), Department of Mathematics, Shippensburg University, 1871 Old Main Drive, Shippensburg, PA 17257, Lenny Jones (lkjone@ship.edu), Department of Mathematics, Shippensburg University, 1871 Old Main Drive, Shippensburg, PA 17257, and Joseph Purdom (jp9506@ship.edu), Department of Mathematics, Shippensburg University, 1871 Old Main Drive, Shippensburg, PA 17257. Sequences of Reducible $\{0,1\}$-Polynomials Modulo a Prime. Preliminary report.
Let $f(x)$ be a $\{0,1\}$-polynomial, let $k \geq 1$ be an integer and let $p$ be a prime. Define a sequence of $\{0,1\}$-polynomials by: $f_{1}:=f(x)$ and, for $i \geq 2, f_{i}:=f_{i-1}+x^{k n}$, if $k n$ is the smallest multiple of $k$ larger than $d_{i-1}$, the degree of $f_{i-1}$, such that $f_{i-1}+x^{k n}$ is reducible modulo $p$. Let $D=\left\{d_{i} \mid i=1,2,3, \ldots\right\}$ and let $M=\left\{d_{1}+1, d_{1}+2, \ldots\right\}-D$. We investigate conditions on $(f, k, p)$ which determine whether $M$ is empty, finite or infinite. In addition, we investigate conditions on $(f, k, p)$ which guarantee, in the situation when $M$ is finite, that $f_{i}$ has a zero $\bmod p$ for all $i$ with $d_{i}>m$, where $m$ is the largest element of $M$. (Received September 30, 2004)

