## 1014-52-1234 Luis Montejano\* (luis@math.unam.mx), University of Guerrero, Acapulco, Mexico. The Colourful Hadwiger Transaversal Theorem.

There are multiplied or colourful versions of Helly and Caratheodory Theorem in the sense of Barani. The aim of this talk is to discuss the corresponding colourful version of the Hadwiger transversal Theorem:

THEOREM. Let  $F = \{A_1, ..., A_n\}$  be a ordered collection of convex sets in the plane. Asymme F is the union of  $C_1, C_2$  and  $C_3$  and for every choice  $A_i \in C_1, A_j \in C_2$  and  $A_k \in C_3$  there is a line transversal to  $A_i, A_j$  and  $A_k$  consistent with the order. Then, for some  $p \in \{1, 2, 3\}$  there is a line transversal to all convex sets of  $C_p$ .

Hadwiger Theorem can be generalized, in the sense of Goodman and Pollack, to higher dimensions. So, we shall discuss also the Colourful version of the Goodman-Pollack Hiperplane Transversal Theorem. (Received September 27, 2005)