Let $G$ be an abelian group of exponent $m$. If $S$ is a sequence of $m$ elements of $G$, and if no subsequence of $S$ sums to zero, what is the least number of distinct sums of subsequences that can occur? This question was first discussed in a paper by W. D. Gao, in which he showed that for groups with exponent $m$ relatively prime to six, the lower bound is always $2 m-1$. In this paper, we conjecture that this lower bound holds for all groups, and we prove that it holds for several infinite families. (Received September 23, 2006)

