1023-14-1697 Raymond P Curran\* (rcurran@mscd.edu), 1240 Sherman St., Denver, CO 80203. Resultant formula for the A- discriminant and dual defect toric varieties.

In the 1980's, Gelfand, Kapranov and Zelevinsky introduced the discriminant,  $D_A$  of a toric variety  $X_A$ , as the defining equation of the projective dual  $X_A^*$ , when  $X_A^*$  is a hypersurface. Otherwise  $X_A$  is called *dual defect*. Dual defect toric varieties have been classified in the smooth case [2], and in codimension 2 [1]. We prove a resultant formula for  $D_A$  and a Gale dual characterization of dual defect toric varieties. This allows us to classify such varieties of codimension at most four.

## References

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