1023-54-1650 Andrzej A Szymanski* (andrzej.szymanski@sru.edu), Department of Mathematics, Slippery Rock University, Slippery Rock, PA. On -Baire and -Shanin spaces. Preliminary report.

Let be an infinite cardinal. A space X is -Baire if no non-empty open set in X can be the union of nowhere dense subsets of X. A space X is -Shanin if any point- open family in X is locally- at each point of a dense subset of X. By a theorem of Fletcher-Lindgren-McCoy, -Baire=-Shanin. There exist examples of ₁-Shanin spaces that are not ₁-Baire. We describe broad classes of spaces for which to be -Baire implies to be -Shanin. We show that the existence of a normal ultrafilter on an uncountable cardinal implies the consistency of the existence of a space X that is -Baire but not -Shanin. (Received September 27, 2006)