

**Meeting:** 998, Houston, Texas, GITLER, Invited Address

998-57-3                    **Samuel Gitler\***, CINVESTAV del IPN, Department of Mathematics, Ave Inst Poli Nac #2508,  
CP 07360, Mexico, DF Mexico. *Topology of complete intersections.*

If  $CP^{n+k}$  denotes the complex projective space of dimension  $n + K$  and  $f_1, f_2, \dots, f_k$  are complex valued polynomials defined, in  $CP^{n+k}$ ,  $X_n(f_1, f_2, \dots, f_k)$  denotes the set of common zeros of these polynomials. If the zeros of the polynomials intersect transversally, then we obtain a complex manifold of complex dimension  $n$ . R. Thom showed that in this situation the diffeomorphism type of these manifolds depends only on the degrees of the polynomials. We use the notation  $X_n(\underline{d})$  where  $\underline{d} = (d_1, d_2, \dots, d_k)$ , the  $d_i^s$  are the degrees of the polynomials. We study when  $X_n(\underline{d})$  and  $X_n(\underline{d}')$  are of the same homotopy type or of the same diffeomorphism type. (Received August 12, 2003)