1035-05-1462 Tom McCollum*, Lyman Briggs College, E-194 A Holmes Hall, East Lansing, MI 48825, and Aklilu Zeleke (zeleke@msu.edu), Lyman Briggs College, E-194 A Holmes Hall, East Lansing, MI 48825. Some Reamrks on a Fibonacci-Type Polynomial Sequence. Preliminary report.

Consider a Fibonacci-type polynomial sequence $F_{n}(x)$ given by $F_{0}=1, F_{1}=x+1$ and for $n \geq 2 F_{n}(x)=x F_{n-1}(x)+$ $F_{n-2}(x)$. Let $\alpha_{n}$ be the maximal real root of $F_{n}$. We will give asymptotic results for $\alpha_{n}$. In particular, for each $n \geq 0$, we will show that $\alpha_{2 n}$ does not exist and $\alpha_{2 n+1}$ forms a decreasing sequence that converges to 0 . Moreover we will give a closed form expression using combinatorial terms for the coefficients $a_{k}$ of $x^{k}$ in $F_{n},(k=0,1,2, \ldots, n)$. (Received September 19, 2007)

