1035-46-887 **Ryan Mullen\*** (mullenr@sacredheart.edu), Mathematics Department, Sacred Heart University, 5151 Park Avenue, Fairfield, CT 06825. An  $A^1$  Function that is Not in  $\text{Lip}_{\alpha}$  For Any Positive  $\alpha$ .

Let  $A^1$  be the Banach algebra of all continuous functions on the torus whose Fourier coefficients are in  $\ell^1$ , and let  $\operatorname{Lip}_{\alpha}$  be the Banach algebra of all continuous function f on the torus such that

$$||f|| = \sup_{x \in \mathbb{T}, h \neq 0} \left| \frac{f(x+h) - f(x)}{h^{\alpha}} \right| < \infty.$$

We produce an example of an  $A^1$  function that is not in  $\text{Lip}_{\alpha}$  for any  $0 < \alpha \leq 1$ . (Received September 17, 2007)