For each $\mathrm{n}>1$, one can arrange $1,2, \ldots, \mathrm{n}(\mathrm{n}+1)$ in a circle, like a bracelet, such that the sum of any $\mathrm{n}+1$ adjacent beads is one of n consecutive numbers. For instance, when $\mathrm{n}=2$ we get the unique (up to rotation and reflection) bracelet formed by connecting the ends of $5,4,1,6,3,2$, for which any three adjacent beads sum to 10 or 11 .

We will give preliminary results on our investigations into these bracelets, along with variations on the theme and some magic applications. (Received September 20, 2007)

