1046-20-1073
Peter A Linnell* (linnell@math.vt.edu), Department of Mathematics, Virginia Tech, Blacksburg, VA 24061-0123. Left ordered and discretely ordered groups.
Let $G$ be a group. I will show that the number of left orders on $G$ is either finite or uncountable. Next if $<$ is a left order on $G$, then we say that it is discrete if $G$ has a minimal positive element $x$ under $<$; thus $1<x$ and there is no $g \in G$ such that $1<g<x$. I will discuss various properties and examples of this notion. Some of this is joint work with Akbar Rhemtulla and Dale Rolfsen. (Received September 14, 2008)

