1046-51-1709 Alan Horwitz* (alh4@psu.edu), 25 Yearsley Mill Rd., Media, PA 19063. Eellipses inscribed in, and circumscribed about, convex quadrilaterals.
We discuss some results related to ellipses inscribed in, and circumscribed about, a convex quadrilateral, D, in the plane. In particular, we discuss Steiner's nice characterization of the most nearly circular ellipse which passes through the vertices of D. We also prove that there is a unique ellipse of minimal eccentricity, and a unique ellipse of maximal area, which passes through the vertices of $D$. Finally, if $D$ is a parallelogram, let $E$ be the unique ellipse of minimal eccentricity inscribed in $D$. We prove that that the smallest nonnegative angle between equal conjugate diameters of $E$ equals the smallest nonnegative angle between the diagonals of D. (Received September 16, 2008)

