Meeting: 1005, Newark, Delaware, SS 12A, Special Session on Geometric Analysis

1005-58-9 Martin Ngu Ndumu* (mndumu@umes.edu), Department of Math and Computer Science, University of Maryland Eastern Shore, Princess Anne, MD 21853. *Heat Trace Asymptotics for Generalized Heat Kernels.*

Here $p_t^{M\&\#8320;}(x,P)$ is a generalized heat kernel relative to an operator (1/2)+b on a Riemannian manifold M. P is a submanifold of M, M₀ is a tubular neighborhood of P and b is a vector field on M. When is the Laplace-Beltrami operator the expansion coefficients b(x,P) are geometric invariants generalizing the usual heat kernel coefficients: b₀=1. $b\&\#8321;(y\&\#8320;,P) = (1/(12))3\&\#8721; <H,i>+ M-3^P + \&\#8721;_{aa}^M + \&\#8721;R_{abab}^M(y\&\#8320;) - (1/2)\&\#8214;b\&\#8214;^2 + (1/2)divb(y\&\#8320;)$ The expression for b₂(y₀,P) contains more geometric information and is too long to be included here. When is the Hodge-de Rham Laplacian the coefficients b(x,P),s are local geometric invariants which generalizes the heat trace coefficients: b₀(y₀,P) = 1 b₁(y₀,P) = (1/(12))3∑ $<H,>+ M-3^P + \&\#8721;_{aa}^M + \&\#8721; R_{abab}^M(y\&\#8320;)I_V - (1/2)\&\#8214;b\&\#8214;^2 + (1/2)divb(y\&\#8320;)I_V + (1/2);_{ii} + (1/4)(_{ijjij}^{ll}) + \&\#8711;(b)(y\&\#8320;)I_V$ where $_{ij}$ are the curvature 2-forms on the vector bundle $\&\#8743;T^*M$. The expression for b₂(y₀,P) contains more geometric 2, 2004)