

**Meeting:** 1000, Albuquerque, New Mexico, SS 13A, Special Session on Analysis and Geometry in Carnot-Caratheodory Spaces

1000-53-103      **Daniel R. Cole\*** ([daniel.r.cole@dartmouth.edu](mailto:daniel.r.cole@dartmouth.edu)), 6188 Bradley Hall, Dartmouth College, Hanover, NH 03755.  *$C^{1,1}$  Hypersurfaces of the Heisenberg Group are  $N$ -Rectifiable.* Preliminary report.

A subset  $E$  of a Carnot group  $M$  is countably  $N$ -rectifiable if, up to Hausdorff measure, it is the countable union of Lipschitz images of a subgroup  $N$  of another Carnot group. In this talk, we prove that  $C^{1,1}$  hypersurfaces of the three dimensional Heisenberg Group  $\mathbb{H}$  are  $N$ -rectifiable, where  $N$  is a subgroup of of co-dimension one. In this context,  $N$ -rectifiability retains much of the flavor of Euclidean rectifiability in that  $N$ -rectifiable sets look locally like their tangent approximations. (Received August 19, 2004)