1011-33-123Moritz Simon\* (moritz.simon@gsf.de), Institute of Biomathematics and Biometry, GSF —<br/>National Research Center, Ingolstädter Landstraße 1, D-85764 Neuherberg, Germany. Asymptotics<br/>of some q-exponentials — are they always of order zero? Preliminary report.

We discuss the asymptotics, i.e. the order and the type of various kinds of entire q-exponential functions and compare our results to the continuum situation q = 1. Among others we shall especially consider the q-delayed exponentials  $\psi_N : \mathbb{C} \to \mathbb{C}$  generated by

$$\frac{d}{dz}\psi_N(z) = \lambda N z^{N-1}\psi_N(qz) \quad \forall z \in \mathbb{C}, \quad \psi_N(0) = 1,$$

where  $q \in (0,1)$  and  $N \in \mathbb{N}$ . They generalize the continuum exponentials  $e^{\lambda z^N}$ , which are of order N and type  $|\lambda|$ . However, the functions  $\psi_N$  — as well as the other q-exponentials we take into account — turn out to be of order zero for any positive integer N. This seems to be a rather general property in the "q-world". (Received August 22, 2005)