1056-05-1715 Glenn G Chappell (chappellg@member.ams.org) and Michael J Pelsmajer* (pelsmajer@iit.edu), 10 W. 32nd St., E1 208, Chicago, IL 60616. Maximum Induced Forests in Graphs of Bounded Treewidth.

Let $f_{k,d,n}$ be the maximum *i* such that every *n*-vertex graph of treewidth *k* contains an *i*-vertex induced forest of maximum degree at most *d*. We prove that for all $k, d \geq 2$ and for all $n \geq 1$, $f_{k,d,n} \geq \lceil (2dn+2)/(kd+d+1) \rceil$ unless $G \in \{K_{2,3}, K_{1,1,3}\}$ and k = d = 2. We give examples that show that the bound is sharp to within 1.

We conjecture that $f_{k,1,n} \ge \lceil 2n/(k+2) \rceil$, which would be sharp to within 1, and we prove it for k = 2, 3. For $k \ge 4$, we show that $f_{k,1,n} \ge (2n+2)/(2k+3)$. We also determine $f_{k,d,n}$ when d = 0 or k = 0, 1. Finally, we consider an analogue of $f_{k,d,n}$ for graphs on a given surface, rather than graphs of a given treewidth. (Received September 22, 2009)