Eric S Egge* (eegge@carleton.edu), Department of Mathematics, Carleton College, Northfield, MN 55057. Symmetric Permutations with No Long Decreasing Subsequences.
It is well-known that the number of permutations in $S_{n}$ with no decreasing subsequence of length 3 is the Catalan number $C_{n}=\frac{1}{n+1}\binom{2 n}{n}$. Several authors have enumerated the permutations in $S_{n}$ with no decreasing subsequence of length 4, and Gessel has used symmetric functions to express the generating function for permutations in $S_{n}$ with no decreasing subsequence of length $k$ as a determinant of Bessel functions. In this talk we describe how to use the Robinson-Schensted-Knuth correspondence and the combinatorics of tableaux to enumerate permutations in $S_{n}$ with no descreasing subsequence of length $k$ whose diagrams are rotationally symmetric. (Received August 19, 2009)

