Jeffrey E Liese* (jliese@calpoly.edu). The distributions of $k$-drops and $k$-excedences in permutations.
Given a permutation $\sigma=\sigma_{1} \ldots \sigma_{n}$ in the symmetric group $S_{n}$, we say that $\sigma$ has a $k$-drop at $i$ if $\sigma_{i}-\sigma_{i+1}=k$ and $\sigma$ has a $k$-excedence at $i$ if $\sigma_{i}-i=k$. The bijection due to Foata which shows that the distribution of descents in permutations in $S_{n}$ equals the distribution of excedences in $S_{n}$ also shows that the distribution of $k$-drops in $S_{n}$ is equal to the distribution of $k$-excedences in $S_{n}$.

This talk will focus on the distribution of $k$-drops and $k$-excedences in $S_{n}$, including explicit formulas as well as generating functions. The work in this area is a lovely generalization of many classic results on derangements and a majority of these results can be proven purely combinatorially. (Received September 18, 2009)

