

1067-05-1632

**Andrew B Ray\*** ([ray.andrew@gmail.com](mailto:ray.andrew@gmail.com)), 2532 T St. Apt. 5, Lincoln, NE 68503.

*Reconstruction of graphs from metric balls of their vertices.*

Given a graph  $G$ , the metric ball of radius  $r$  about a vertex  $v$  is  $B_r(v) = \{w \in V(G) : d(v, w) \leq r\}$ . We prove a conjecture of Levenshtein, that if  $G$  has girth at least  $2r + 3$  and no terminal vertices then we can reconstruct  $G$  from the function  $B_r$ . This is best possible since a cycle on  $2r + 2$  vertices cannot be reconstructed in this way. The previous best known result was for graphs with girth at least  $2r + 2\lceil(r - 1)/4\rceil + 1$  and no terminal vertices. (Received September 21, 2010)