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(hartke@math.unl.edu), University of Nebraska, Department of Mathematics, 203 Avery Hall, Lincoln, NE 68588-0130. Large 1-factorizable subgraphs.
Assume $G$ is a graph on $n$ vertices, $n$ even, with minimum degree $n / 2$. Katerinis, and later Egawa and Enomoto, proved that $G$ has a $k$-factor for some $k$ at least $n / 4$. Is it possible to get a similar result for edge-disjoint 1 -factors instead? As Katerinis points out, the best known result in this direction follows from the work of Nash-Williams, gives that $G$ has at least $n / 23$ edge-disjoint one-factors.

Our contribution is that if $G$ has minimum degree $n / 2+o(n)$, then it has $k$ edge-disjoint 1-factors for some $k$ at least $n / 8$. Furthermore, if $n$ is a perfect square, then $G$ has $k$ edge-disjoint 1-factors for $k=n / 4-o(n)$. (Received June 12, 2010)

