1067-11-2101 Paul Pollack* (pppollac@illinois.edu), 1409 W. Green St., Department of Mathematics, MC-382, University of Illinois, Urbana, IL 61801. Sociable numbers, or How I messed with perfection and lived to write papers about it.
Let $s(n):=\sum_{d \mid n, d<n} d$ denote the sum of the proper divisors of the natural number $n$. We call $n$ perfect if $s(n)=n$. The study of such numbers goes back thousands of years, but many of the most natural questions remain unanswered. Similar comments apply to the study of amicable pairs, which are pairs of natural numbers $n$ and $m$ for which $s(n)=m$ while $s(m)=n$. (In this case, both $n$ and $m$ are called amicable numbers.) I will describe recent results concerning perfect numbers, amicable numbers, and their higher-order generalizations, so-called sociable numbers. (Received September 22, 2010)

