

1067-22-677

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Speh representations are an interesting family of unitary representations for $GL(2n, \mathbb{R})$ that were first discovered by Birgit Speh in the residual spectrum. They arise as Zuckerman derived functor modules from unitary characters of $GL(n, \mathbb{C})$, have a Hilbert space realization due to Sahi-Stein, and play an important role in the Vogan-Tadic classification of the unitary representations of $GL(n)$. Let $H = Sp(2n, \mathbb{R})$, $U = U(n)$, and let P be the Siegel parabolic subgroup of H .

Using automorphic techniques Offen-Sayag have shown (unpublished) that the space of H -invariant distribution on the Speh representations has dimension 0 or 1, according as n is odd or even. We give a strengthening of this result, by showing that for (1) odd n there are no U -invariant distributions (2) for even n there is a 1-dimensional space of P -invariant distributions.

This is joint work with Dmitry Gurevich and Eitan Sayag. (Received September 13, 2010)