1067-54-633 Teresita Ramirez-Rosas* (ramirezt@gvsu.edu), GVSU, 1 Campus Dr, A-2-178 MAK, Allendale, MI 49401. A lower bound for the trisecants of a knot. Preliminary report.
Let $K$ be a polygonal knot. A triple $a b c$ is a trisecant of $K$ if $a, b$ and $c$ are points in $K$, no two of which lie on a common edge of $K$, that are collinear, in this order, in $\mathbb{R}^{3}$.

In 1933, Erika Pannwitz proved that each point of $K$ is the starting point of at least $\kappa$ trisecants for $K$, where $\kappa$ is the necessary number of boundary singularities for a disk in $\mathbb{R}^{3}$ bounded by $K$.

Fix $x \in K$ and let $t_{x}$ denote the number of trisecants having $x$ as an end point. We have show $t_{x} \geq \frac{2 c r(K)+1}{3}$, where $\operatorname{cr}(K)$ is the minimal crossing number of $K$. If we let $x$ appear not only as an end point but also as a middle point in the trisecant, we have conjectured that $t_{x} \geq \operatorname{cr}(K)$. In this talk, we will present our progress towards proving this conjecture. (Received September 12, 2010)

