## 1067-55-1890 Candice Renee Price\* (candice.r.price@gmail.com), 608 Ronalds st, Iowa City, IA 52245. Oriented Skein Relation for HFK and Biological Applications.

In On the skein exact sequence for knot Floer homology, Peter Ozsváth and Zoltán Szabó proved that there is a long exact sequence relating three knot diagrams that differ at a single crossing. We call these diagrams a skein triple denoted  $(K_+, K_-, K_0)$ .

After looking at examples for this theorem, the following question arose: "What triples can be found where  $K_{\pm} = \text{Unknot}$ ?" This question is useful to answer due to its biological applications.

There exist proteins, *topoisomerase* and *recombinase*, that change the topology of DNA. These changes can inhibit or aid in biological processes involving the structure of DNA. *Topoisomerases* are proteins that cut one segment of DNA, passing a DNA segment through before resealing the break. The local action of these proteins can be modeled as a crossing change:

$$K_{-} \Leftrightarrow K_{+}$$

*Recombinase* are proteins that cut two segments of DNA, and recombine them in some manner. We model this local action as a smoothing:

$$K_{\pm} \Rightarrow K_0.$$

We then view the triple as

 $K_{\pm} = \text{Unknot}, K_{\mp} = \text{topoisomerase action}, K_0 = \text{recombinase action}.$ 

I will give a brief description of knot Floer homology and a biological application of the theorem described above. (Received September 22, 2010)