1067-Z1-1702   **Pedro Tradacete*** (`tradacete@ub.edu`), Dep. of Applied Mathematics and Analysis, University of Barcelona, Gran Via de les Corts Catalanes 585, 08007 Barcelona, Spain. *Positive operators on Banach lattices and domination properties.*

Let us consider the following problems concerning operators between Banach lattices:

Domination problem: Let $0 \leq S \leq T : E \to F$. Under which conditions on E and F does S satisfy property (P) provided T satisfies (P)?

Power problem: Let $0 \leq S \leq T : E \to E$. When is there $n \in \mathbb{N}$ such that if T satisfies (P), then R^n also satisfies (P)?

A classical result of Dodds-Fremlin asserts that for $(P) =$ "being compact", the first problem has a positive answer when E^* and F are order continuous and the second problem is solved for $n = 3$ (both being optimal). We will present several recent results for other properties such as Banach-Saks property [FT], strict singularity [FHT] and summability [PST].

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