1015-26-205 Victor Burenkov\* (burenkov@cf.ac.uk), Senghennydd Road, CF24 4AG Cardiff, Wales. Recent progress in the study of the boundedness of the classical operators of real analysis in Morrey-type spaces.

Let  $0 < p, \theta \leq \infty$  and let w be a non-negative measurable function on  $(0, \infty)$ . We denote by  $LM_{p\theta,w}$ ,  $GM_{p\theta,w}$ , the local Morrey-type spaces, the global Morrey-type spaces respectively, which are the spaces of all functions  $f \in L_p^{loc}(\mathbb{R}^n)$  with finite quasi-norms

$$||w(r)||f||_{L_p(B_r)}||_{L_{\theta}(0,\infty)}$$
,  $\sup_{x\in\mathbb{R}^n} ||f(x+\cdot)||_{LM_{p\theta,w}}$ 

respectively. (Here  $B_r$  is the ball of radius r centered at the origin.) For  $w(r) = r^{-\frac{\lambda}{p}}$  with  $0 < \lambda < n$  the spaces  $GM_{p\theta,w}$  were introduced by C. Morrey in 1938 and appeared to be quite useful in various problems in the theory of partial differential equations.

A survey will be given of recent results in which, for some values of the parameters, necessary and sufficient conditions are established ensuring the boundedness of the maximal operator, fractional maximal operator and Riesz potential as operators from one Morrey-type space to another one. Compared with the case of weighted  $L_p$ -spaces there are much more open problems which will also be under discussion. (Received February 06, 2006)