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Remi Leclercq* (leclercq@dms.umontreal.ca). *Spectral invariants in Lagrangian intersections Floer theory.*

Consider a closed Lagrangian submanifold L , with trivial first homotopy group, of a symplectically aspherical manifold (M, ω) , whose first Chern class vanishes over its second homotopy group. For a generic pair of Hamiltonian function and almost complex structure, we associate a spectral number to each homology class of L . We show that these numbers are independent on the choice of almost complex structure and depend on the Hamiltonian function only by the image of L through the time-1-symplectomorphism induced by its flow. With the Biran-Polterovitch-Salamon isomorphism, we recover the spectral invariants defined by M. Schwarz for the symplectically aspherical manifold $M \times M$. From the Barraud-Cornea spectral sequence, we deduce some inequalities satisfied by these invariants. Then, we discuss the monotone case. (Received August 14, 2006)