## 1027-46-212Cynthia Farthing\* (cfarthing2@math.unl.edu), Department of Mathematics, 203 Avery Hall,<br/>University of Nebraska-Lincoln, Lincoln, NE 68588-0130, and David Pask and Aidan Sims.<br/>Crossed Products by Free Abelian Groups as Higher-rank Graph Algebras.

We show that if  $\alpha$  is an action of  $\mathbb{Z}^l$  on a finitely aligned k-graph,  $\Lambda$ , by automorphisms, then there is an induced action,  $\tilde{\alpha}$ , of  $\mathbb{Z}^l$  on the higher-rank graph  $C^*$ -algebra of  $\Lambda$ . Furthermore, the crossed-product  $C^*$ -algebra,  $C^*(\Lambda) \times_{\tilde{\alpha}} \mathbb{Z}^k$ , can be realized as the  $C^*$ -algebra of a k + l-graph. We will use this fact to give conditions for when the crossed-product  $C^*$ -algebra is simple and to calculate the K-theory for a particular class of 2-graphs. (Received February 27, 2007)