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The minimum rank of a graph is the smallest possible rank of any real symmetric matrix associated to the given graph.

The real (complex) minimum semi-definite rank of a graph is the minimum rank among symmetric (Hermitian) positive semi-definite matrices associated to the given graph. A circulant graph, $G = \text{Circ}(n, S)$, is a graph with n vertices in which the i^{th} vertex is adjacent to the $(i + j)^{\text{th}}$ and $(i - j)^{\text{th}}$ vertices for each j in S which is a subset of $\{1, \dots, n\}$. The zero forcing set of a graph G is a subset of vertices Z , which are all colored black with the vertices in $G - Z$ colored white, where the derived coloring of G using a color change rule is all black. We are interested in the zero forcing number, denoted $Z(G)$, which is the minimum $|Z|$ over all zero forcing sets for a graph G . A positive semi-definite zero forcing number $Z_+(G)$ is defined using a different color change rule. In this talk, we will present results on $Z(G)$ and $Z_+(G)$ of certain classes of circulant graphs including $\text{Circ}(n, \{1, t\})$ and $\text{Circ}(n, \{a, a + 1, a + 2, \dots, t\})$. These graph parameters provide bounds on the minimum rank and minimum semidefinite rank of these graphs. (Received July 27, 2011)