James G. Propp* (propp@jamespropp.org). A not-quite-bijective enumeration of domino tilings of Aztec diamonds.
Back in the 1980s, Noam Elkies, Greg Kuperberg, Michael Larsen, and I proved that the number of domino tilings of an Aztec diamond of order $n$ is $2^{n(n+1) / 2}$. One of our proofs used a procedure we called domino shuffling. Although domino shuffling can be turned into a bijection between the set of domino tilings of the Aztec diamond of order $n$ and the set of bit-strings of length $n(n+1) / 2$, it is most naturally viewed not as a one-to-one function but as a many-to-many relation, where each set of size $k$ in one set corresponds to a set of size $k$ in the other set. (Received August 24, 2011)

