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**Benjamin L Weiss\*** (bweiss@bates.edu), Mathematics Department, Hathorn Hall, Lewiston, ME 04240, and **Michael E Zieve**. *The Decomposition of Solutions to the Polynomial Pell Equation.*

We discuss a method of computing all decompositions of solutions  $G(X)$  of the polynomial Pell equation  $G(X)^2 - P(X)Q(X)^2 = 1$  with  $\deg(P) = 4$ . The techniques only require analyzing the ramification indices of  $G(X) - T$  over  $\mathbb{C}[T]$ , and allow us to prove irreducibility results of  $T_k(Y) - G(X) \in \mathbb{C}[X, Y]$  for Chebyshev polynomials  $T_k$ . We'll briefly discuss other previous methods of analyzing the decomposition of  $G(X)$  by relating it to torsion points on elliptic curves. (Received September 25, 2012)