Sangjib Kim (skim@maths.uq.edu.au), School of Mathematics and Physics, The University of Queensland, St Lucia, QLD 4072, Australia, and Victor Protsak* (protsak@oswego.edu), Department of Mathematics, State University of New York at Oswego, Oswego, NY 13126. On $G L_{n}$ to $G L_{n-2}$ Branching Multiplicity Spaces.
Using Howe's reductive dual pair philosophy, we study the branching multiplicity spaces for the irreducible representations of the complex general linear group $G L_{n}$ under its restriction to $G L_{n-2}$. These spaces admit hidden symmetries extending the natural $G L_{2}$-action, namely, the Yangian $Y\left(\mathfrak{g l}_{2}\right)$ and the $(n-1)$-fold product of $\mathfrak{s l}{ }_{2}$ 's. We connect the combinatorial description of the branching multiplicity spaces in terms of Gelfand-Tsetlin patterns with explicit formulas for differential operators realizing the hidden symmetries. (Received August 17, 2012)

