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Considered here are systems of equations of BBM type, *viz.*

$$\begin{cases} \partial_t u + u_x - \partial_{xxt} u + \partial_x (Au^2 + Buv + Cv^2) = 0, \\ \partial_t v + v_x - \partial_{xxt} v + \partial_x (Du^2 + Euv + Fv^2) = 0 \end{cases}$$

where $u = u(x, t)$ and $v = v(x, t)$ are real valued functions for $x \in I, t \geq 0$, where $I \subset \mathbb{R}$ can be bounded interval, half line and \mathbb{R} itself, (of course with appropriate initial-boundary conditions), A, B, \dots, F are real constants. Theory regarding well-posedness in this case is a little more subtle than in the case of a single equation. (Received September 25, 2012)