1086-VN-1750 Casey Mann* (cmann@uttyler.edu), The University of Texas at Tyler, Department of Mathematics, 3900 University Blvd, Tyler, TX 75799, and Ali Chick. Equilaterally $k$-Isotoxal Tiles. Preliminary report.
A tiling $\mathcal{T}$ of the plane is $k$-isotoxal if every edge of $\mathcal{T}$ can be mapped to any other edge of $\mathcal{T}$ by a symmetry of $\mathcal{T}$. We define a tile $T$ to be $k$-isotoxal if every tiling admitted by $T$ is $k$-isotoxal. Trivially, any tile that has $k$ congruence classes of edges is $n$-isotoxal for $n \geq k$. Therefore, we restrict attention to equilateral tiles (i.e. tiles whose edges are all congruent to one another). Lastly, an equilaterally $k$-isotoxal tile is one that is equilateral and admits only $k$-isotoxal tilings of the plane. In this talk we present examples if equilaterally $k$-isotoxal tiles for $k=1,2$, and 3. (Received September 24, 2012)

