1086-VN-2203 Gary F. Tiner* (gtiner@faulkner.edu), 5345 Atlanta Hwy., Montgomery, AL 36109, and Nancy Eaton. .
If $G$ is a graph with average degree greater than $k-2$, Erdős and Gallai proved that $G$ contains a path on $k$ vertices. Erdős and Sós conjectured that under the same condition, $G$ should contain every tree on k vertices. Several results based upon the number of vertices in $G$ have been proven including the special cases where $G$ has exactly $k$ vertices (Zhou), $k+1$ vertices (Slater, Teo and Yap), $k+2$ vertices (Woźniak) and $k+3$ vertices (the second author of this paper). To strengthen these results, we will prove the Erdős-Sós conjecture holds if a longest path in $G$ has at most $k+3$ vertices (no restriction is imposed on the number of vertices of $G$ ).
(Received September 25, 2012)

