1044-60-121 Christian Houdre, School of Mathematics, 686 Cherry St., Atlanta, GA 30332, and Trevis Litherland* (trevisl@math.gatech.edu), School of Mathematics, 686 Cherry St., Atlanta, GA 30332. On the Limiting Shape of Random Young Tableaux for Markovian Words.

Let $(X_n)_{n\geq 0}$ be an irreducible, aperiodic, homogeneous Markov chain, with state space an ordered finite alphabet of size m. Using combinatorial constructions and weak invariance principles, we obtain the limiting shape of the associated Young tableau as a multidimensional Brownian functional. Since the length of the top row of the Young tableau is also the length of the longest (weakly) increasing subsequence of $(X_k)_{1\leq k\leq n}$, the corresponding limiting law follows. We relate our results to a conjecture of Kuperberg by showing that, for m = 3, and under a cyclic condition, the limiting shape is the spectrum of the traceless GUE (a fact already known for m = 2). However, this is no longer true for $m \geq 4$. (Received August 27, 2008)