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**André E. Kézdy\*** ([kezdy@louisville.edu](mailto:kezdy@louisville.edu)), Department of Mathematics, University of Louisville, Louisville, KY 40292, and **Hunter Snevily**. *On the degree of regularity of a specific linear equation*. Preliminary report.

An equation is  $r$ -regular if, for every  $r$ -coloring of the positive integers, the equation has a monochromatic solution. If an equation is not  $r$ -regular for all positive integers  $r$ , then its *degree of regularity* is the maximum  $r$  such that it is  $r$ -regular. This talk focuses on the equation

$$\sum_{i=1}^n x_i - \sum_{i=1}^n y_i = b_n, \quad (*)$$

where  $b_n$  is a positive integer (depending on  $n$ ). Fox and Kleitman have shown that the degree or regularity of (\*) is at most  $2n - 1$  and conjecture that, for every  $n$ , some choice of  $b_n$  achieves this bound. This talk describes partial results on this conjecture. (Received January 31, 2009)