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Alex J Feingold* (alex@math.binghamton.edu), Department of Mathematical Sciences, Binghamton University, Vestal Parkway East, Binghamton, NY 13902-6000. *Hyperbolic Weyl groups and related Coxeter groups*. Preliminary report.

In recent work of Alex Feingold, Axel Kleinschmidt and Hermann Nicolai (“Hyperbolic Weyl groups and the four normed division algebras”), the Weyl groups of many hyperbolic Kac-Moody algebras of ranks 3, 4, 6 and 10 were explicitly realized as certain 2×2 matrices with entries from the four normed division algebras, \mathbb{R} , \mathbb{C} , \mathbb{H} and \mathbb{O} , respectively, acting on spaces of 2×2 Hermitian matrices. In the rank 3 case associated with \mathbb{R} , the Weyl group is the hyperbolic triangle group $T(2,3,\infty)$ isomorphic to $\text{PGL}(2,\mathbb{Z})$, an index two extension of the modular group. That case, and the corresponding hyperbolic Kac-Moody algebra, were extensively studied in 1983 by A. Feingold and I. Frenkel, who also knew that two rank 4 cases had Weyl group containing $\text{PSL}(2,\mathbb{Z}[i])$ with index four. This talk will present some extensions of the work of Feingold, Kleinschmidt and Nicolai, including a realization of other hyperbolic triangle groups such as $T(3,4,5)$, and possible use of other algebras in place of the four normed division algebras. (Received February 09, 2009)