1049-43-132 Nico Spronk (nspronk@math.uwaterloo.ca), Department of Pure Mathematics, University of Waterloo, Waterloo, ON N2L 3G1, Canada, and Ross Stokke\* (r.stokke@uwinnipeg.ca), Department of Mathematics and Statistics, University of Winnipeg, 515 Portage Avenue, Winnipeg, MB R3B 2E9, Canada. Unitary representations and the Eberlein compactification of a locally compact group.

We study the extension of unitary representations on a locally compact group, G, to the involutive dual Banach algebra  $E(G)^*$ , where E(G) denotes the uniform closure of the Fourier-Stieltjes algebra, B(G), of G. The spectrum,  $\varepsilon G$ , of E(G) is a semitopological \*-semigroup compactification of G, which we call the Eberlein compactification of G. We characterize  $\varepsilon G$  as the minimum semigroup compactification of G to which every unitary representation can be continuously extended, and we describe  $\varepsilon G$  in a manner which is analogous to M. Walter's description of the spectrum of B(G). This latter result is applied to show that G is completely determined by  $\varepsilon G$ . (Received March 01, 2009)