## 1054-18-144Alexander E Hoffnung\* (alex@math.ucr.edu), 600 Central Ave #324, Riverside, CA 92507. A<br/>categorification of the Hecke algebra.

Given a Dynkin diagram and the finite field  $F_q$ , where q is a prime power, we get a finite algebraic group  $G_q$ . I will explain joint work with John Baez where we show how to construct a categorification of the Hecke algebra  $H(G_q)$  associated to this data. This is an example of the Baez/Dolan/Trimble program of "Groupoidification", a method of promoting vector spaces to groupoids and linear operators to spans of groupoids. For example, given the  $A_2$  Dynkin diagram, for which  $G_q = SL(3, F_q)$ , the spans over the  $G_q$ -set of complete flags in  $F_q^3$  encode the relations of the Hecke algebra associated to  $SL(3, F_q)$ . Further, we will see how the 2-morphisms proving the relations for the Hecke algebra correspond to incidence relations in projective plane geometry. (Received September 11, 2009)