1052-13-78 Luchezar L. Avramov, Aldo Conca and Srikanth B Iyengar* (iyengar@math.unl.edu), 305 Avery Hall, Department of Mathematics, Lincoln, NE 68588. Free resolutions over Koszul algebras.

For R = Q/J with Q a commutative graded algebra over a field and $J \neq 0$, we relate the slopes of the minimal resolutions of R over Q and of $k = R/R_+$ over R. When Q and R are Koszul and $J_1 = 0$ we prove $\operatorname{Tor}_i^Q(R,k)_j = 0$ for $j > 2i \ge 0$, and also for j = 2i when $i > \dim Q - \dim R$ and $\operatorname{pd}_Q R$ is finite. (Received September 01, 2009)