

1125-VI-1138 **Göran Bergqvist*** (gober@mai.liu.se), Department of Mathematics, Linköping University,
58183 Linköping, Sweden. *Envelopes that bound the spectrum of a matrix.*

The real part of any eigenvalue of a matrix A is less or equal to the largest eigenvalue of its Hermitian part $H(A)$. Applied to $\exp(-iv)A$ for all v , the spectrum of A is also contained in an infinite intersection of v -rotated half-planes, an intersection that equals the numerical range $F(A)$. Adam, Psarrakos and Tsatsomeros showed that using the two largest eigenvalues of $H(A)$, a cubic curve that restricts the location of eigenvalues can be constructed and, using the idea of rotations, the envelope of such cubic curves defines a region inside $F(A)$ that still contains the spectrum. In contrast to $F(A)$, the new region is not necessarily convex or connected. Here we present a generalization of their method and show how new restricting curves for the spectrum can be found if one utilizes more than two eigenvalues of $H(A)$, and how the envelope of such curves bounds a new smaller region for the spectrum. (Received September 15, 2016)