1116-05-1563 **Jonathan Tidor*** (jtidor@mit.edu). Dense binary PG(t-1,2)-free matroids have critical number t-1 or t.

The critical threshold of a (simple binary) matroid N is the infimum over all ρ such that any N-free matroid M with $|M| > \rho 2^{r(M)}$ has bounded critical number. In this talk, we study the critical threshold of the projective geometry PG(t-1,2) as a generalization of a classical problem in graph theory. No knowledge of matroid theory will be assumed.

We resolve two conjectures of Geelen and Nelson, showing that the critical threshold of PG(t-1,2) is $1-3 \cdot 2^{-t}$. We do so by proving the following statement: if M is PG(t-1,2)-free with $|M| > (1-3 \cdot 2^{-t})2^{r(M)}$, then the critical number of M is t-1 or t. (Received September 20, 2015)