1116-14-1460 Ada Boralevi, Jan Draisma, Emil Horobet and Elina Robeva* (erobeva@berkeley.edu). Orthogonal Tensor Decomposition.
A tensor is orthogonally decomposable if it can be written as a linear combination of rank-one tensors $a_{i} \otimes b_{i} \otimes c_{i} \otimes \ldots$ such that the $a_{i}$ are orthonormal, the $b_{i}$ are orthonormal, the $c_{i}$ are orthonormal, etc. Every matrix is orthogonally decomposable because of the singular value decomposition theorem. In this work we give equations that cut out the variety of orthogonally decomposable tensors. (Received September 20, 2015)

